Design of PID Controller for Direction Control of Robotic Vehicle

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Abstract- A PID Controller has been designed and incorporated into the Robot based Agricultural System. This system comprises of a Robotic Vehicle which navigates through the field in the desired direction performing tilling or de-weeding as it moves. The PID control system has been designed for automatic steering and speed control of the Robotic Vehicle. The PID control system continuously checks and corrects the direction of travel to keep the vehicle on desired track. PID Control equations for Discrete Time Domain have been derived and validated by using MATLAB. Functional tests were carried out using ModelSim. The hardware results were finally validated using MATLAB again. The direction accuracy achieved is better than 0.01%.

Keywords: PID controller, robot control, agricultural automation, speed control, steering control.

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I. INTRODUCTION

The Robotic Vehicle is primarily designed to till the field to the specified length and breadth. The movement of the vehicle in any direction be it forward or reverse, should be in a straight line. Otherwise, the vehicle may move haphazardly, not tilling the ground in a straight line. If this operation is carried out manually, the throughput is painfully low. If the entire agricultural operation is carried out using Robotic vehicle, such as the proposed one, which is unmanned, then great care has to be taken to ensure that the movement of the vehicle is in the desired direction always. This calls for an automated feedback system, which keeps track of the wheel direction of the vehicle, compares it with the set direction, and takes corrective measure in case of any deviation from the set direction. There are many techniques reported to achieve the direction control or speed control of the wheels of automatic unmanned vehicles using PID controller.

A tele-operated, farmland information collecting robot [1] was developed using PID Controller and PWM principle [2]. An ideal PID controller is described by Wang Hongxing [3] for a farm land information collecting robot. For tuning of the PID controller parameters, critical proportioning methods are used [4]. A PID Controller developed using 8051 microcontroller [5-6] has been briefly explained with programming done in embedded C.

Suying Yang, Miaomiao Gao, Jianying Lin, and Zhuohan Li have worked on PID controller IP Core for temperature control in System on a Programmable Chip (SOPC). The authors have described the PID Control algorithm using HDL on FPGA [7]. They have designed PID controller IP core to make temperature tests to the control object with features of inertia and pure delay. Avalon bus is used for connecting processor to the peripherals.

Guosheng Huang and Shuocheng Lee have explained the PC based PID speed control in DC Motor [8] using Lab view. It uses Vis Sim software simulator to analyze its response. The signals have been acquired through NI DAQ USB-6008 card. The parameters are adjusted to control the motor speed by using the Lab view aided PID controller.

Zhen Wang and Lingshun Liu [9] have designed a control system using the microcontroller TMS320LF2407A for sampling and regulating the speed of the DC Motor and have used AT89C51 microcontroller for inputting and displaying the speed of the DC Motor.

Junyao Gao et al. [10] have designed control methods for unmanned vehicle. For steering control of the wheels, the authors have applied a complex mathematics using a multistep neural network. Fuzzy Genetic Algorithm (GA) PID control method is used for the turning control of wheels.

An Intelligent Control for a Crawling Unmanned Vehicle [11] have been designed by Dr. Kwang Hwa Lee. An adaptive feedback controller is designed by using a combination of PID and Adaptive Neural network Fuzzy Logic.

Xiaogang Ruan, Qiyuan Wang and Naigong Yu, have designed Dual-loop Adaptive Decoupling Control for Single Wheeled Robot based on Neural PID Controller [12]. They have used Newton-Euler equations in their design to achieve wheel control.

Migara H. et al. have designed a Robotic Arm with Hydraulic actuators operated by servo valves [13]. Each joint position is controlled by a PID based system. The system was modeled using MATLAB-SIMULINK tool box.

M. S. Tsou and M. Esmail, have carried out research on Unconstrained Model Predictive Control (MPC) and PID Evaluation for Motion Profile Tracking Applications [14]. The authors have tested optimally tuned Model Predictive Control (MPC) and PID
controller for motion profile tracking and have compared them using Pareto optimality. They have found that the results of PID Controller are reasonable, whereas MPC gives unanticipated outcomes.

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For tracking stabilization of Robot Motion, a new variable structure PID controller design is considered [15]. A certain PID sliding motion of a controller with PID sliding surface is substantiated for a robotic manipulator. Lyapunov full quadratic form and upper and lower matrix norm inequalities are formulated for sliding and global stability. This control algorithm is applied to robot arm through simulations and the authors have found that the control function is satisfactory.

An approach for a remote PID controller design have been presented by Hui Zhang et al [16]. They have first developed the design method for Static Output Feedback (SOF) Controller, and using this PID controller has been designed. The SOF Controller has been designed using Bernoulli random binary distribution and matrix inequalities.

Chaoraingern J et al. [17] have designed PID Controller using Coefficient Diagram Method (CDM) for track following control of hard disk drive. It is based on proper selection of the characteristic transfer function of the closed loop control system. They have shown through MATLAB simulation results that CDM design is quite stable.

Marino R et al. [18] have designed a nested PID control for lane keeping autonomous vehicles which are vision based. The steering angle is the control input and it is designed taking into account yaw rate and the central offset measured by a gyroscope and vision system respectively. The simulations were carried out on Standard Big Sedan CarSim Vehicle model.

Saidonar M. S. et al. [19] have considered only differential steering control with proportional control methods for a mobile robot. The current velocities of the right and left wheel are used to determine the current position of the mobile robot The velocity and angular velocity of the robot helps to determine the number of encoder pulses that have to be fed to the DC motors connected to the right and left wheel. The proportional controller is used to produce the same speed for both right and left wheel to ensure the movement of the robot in a straight line.

Veerachari Mummadi [20] has proposed a digital PID controller for H bridge soft switching boost Converter. The author has formulated the mathematical models of the H bridge using the system identification tool and has used in the PID design. Designing the PID Controller has been done using Pole Placement Technique (PPT) together with Sensitivity Function Shaping (SFS).

PID Controller has been designed in this work for automatic steering and speed control of the Robotic Vehicle. PID Control equations for Discrete Time Domain are presented and validated by using MATLAB in this section.

The paper is organized as follows. Section 2 presents the PID Controller and Derivation of Discrete Domain PID Controller Equations and MATLAB realization of the same. Section 3 presents the Block Diagram of the Proposed Robotic Vehicle with PID Controller and the Algorithmic state Machine Charts. Section 4 presents the architecture of the PID Controller. Section 5 presents the Simulation results and the Validation of Verilog RTL Design Using MATLAB and Section 6 presents the Conclusion.

II. PID Control System

The PID controller produces an output signal comprising three terms-one proportional to error signal, another proportional to integral of error signal and the third one proportional to the derivative of error signal. Fig.1 presents the PID controller in its expanded form.
PID control may be achieved in continuous time domain by computing an error term such as:

\[ u(t) = K_p e(t) + (K_p/T_i) \int e(t) dt + K_p T_d (d/dt) e(t) \]  

(1)

or

\[ u(t) = K_p e(t) + K_i \int e(t) dt + K_d (d/dt) e(t) \]  

(2)

where,

- \( u(t) \) = Total Corrected Error,
- \( K_p \) = Proportional Gain,
- \( T_i \) = Integral Time,
- \( T_d \) = Derivative time,
- \( K_i \) = Integral Gain = \( K_p/T_i \) and
- \( K_d \) = Proportional Gain = \( K_p T_d \).

The proportional control stabilizes the gain but produces a steady state error. The integral control reduces or eliminates the steady state error. The derivative control reduces the rate of change of error. For example, in steering control, if the reference or set direction is 180 degrees and if the robot is moving off from the set direction, say, to 182 degrees, then the controller dynamically corrects the wheel speeds in such a manner that the robot moves closer to 180 degrees. The frequency at which the measured direction is input is called the sampling rate. Higher the sampling rate, greater will be the precision in correcting the error. The PID control is also achieved at the same rate.

The difference between the set and the measured directions naturally is the error expressed as Eq. 3.

\[ e(n) = \text{set}_\text{dir} - \text{dir}(n) \]  

(3)

Overall Error computed by the Proportional, Integral and Differential terms of the PID Controller may be derived from Eq. (2) and is presented in Eq. (4).

\[ u(n) = K_0 * e(n) + K_1 * e(n-1) + K_2 * \text{integral}(n) \]  

(4)

where \( K_0, K_1 \) and \( K_2 \) are constant gain factors for the Proportional, Differential and Integral terms respectively and

\[ \text{integral}(n) = \text{integral}(n-1) + (\text{set}_\text{dir} – \text{dir}(n))/\text{SR} \]  

(5)

As an approximation, we get the corrected direction:

\[ \text{dir}_\text{n} = \text{set}_\text{dir} + (K_2/K_0) * \text{integral}(n) – u(n)/K_0 + [(u(n-1)/K_0)/(K_2/(K_1*\text{SR}) + K_0/K_1)] \]  

(6)

Equation (6) gives the corrected direction.

In order to get the value of the corrected direction closer to the reference set direction, various values of \( K_0, K_1 \) and \( K_2 \) were experimented with in the above equation using MATLAB. Optimum values arrived at for these gain constants are presented in the next section.

b) MATLAB Realization of PID Controller

The PID Controller equations derived in the previous section has been coded in MATLAB and results of the corrected direction and the set direction for different gain constant values have been presented in Fig. 2 for the optimum Gain constants. For this set of gain constants, the corrected direction is closest to the set direction with the least overall error. The values for average direction, average error and overall error for different sets of \( K_0, K_1, \) and \( K_2 \) have also been computed and presented in Table 1.
Figure 2: Matlab Results: Comparison of PID Corrected Direction Vs Set Direction for Optimum Gain Constants – Least Error

Table 1: Comparison of Average Error and Overall error for different values of Gain Constants

<table>
<thead>
<tr>
<th>Sl. No</th>
<th>K0</th>
<th>K1</th>
<th>K2</th>
<th>Avg. Direction</th>
<th>Avg. Error</th>
<th>Overall error in feet</th>
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<tr>
<td>1</td>
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<td>1/32</td>
<td>2/1</td>
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<td>-0.0024</td>
<td>-0.0128</td>
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<tr>
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<td>0</td>
<td>2/1</td>
<td>350.1875</td>
<td>-0.1875</td>
<td>-0.9817</td>
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<tr>
<td>3</td>
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<td>1/32</td>
<td>0</td>
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<td>-3.0680</td>
</tr>
<tr>
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<td>1/32</td>
<td>2/1</td>
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<td>-1.8042</td>
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<td>2/1</td>
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<td>1.9960</td>
<td>10.4512</td>
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<tr>
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<td>1/16</td>
<td>2/1</td>
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<td>1.0940</td>
<td>5.7284</td>
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<td>1/4</td>
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</tr>
</tbody>
</table>

III. Block Diagram of the Proposed Robotic Vehicle with PID Controller

The block diagram of PID controller designed for the Robotic Vehicle is presented in Fig. 3. The system comprises the following functional blocks: Digital Compass, PID Controller, Robotic Controller and DC Motor Controller.

A digital compass is used for measuring the earth’s magnetic field. It has a built in UART interface and can be readily used with any FPGA, ASIC or Microcontroller based design. The measuring range of the compass is 0 to 360 degrees and it has a resolution of 0.1 degree and an accuracy of 1 degree. The frequency response is 25 Hz. The initial reading is set as is convenient for the field to be tilted. It is the reference direction in which the vehicle is continuously expected to navigate. The Digital compass output is read every 40 msec. The output is compared with the reference direction. The difference (error) is applied to PID controller for error computation. The error output of the PID controller is input to Pulse Width Generator to produce pulses...
Figure 3: Block Diagram of the Robotic Vehicle with PID Control

The PID Controller starts functioning only after receiving a valid "enable_pidc" signal from the main controller. Once the module is enabled, it waits for the direction data output from the Digital Compass module. It acquires the direction data only after getting a valid "data_valid" signal. The first direction data received is treated as the "set_dir" (meaning set direction) for the vehicle. The successive "dir" data received is then compared with the "set_dir" and the corresponding error "e(n)" is computed. Thereafter, the PID corrected error "u(n)" is calculated which is the sum of proportional, integral and the differential errors to compute the corresponding corrected direction "dirn".

Once the corrected direction is calculated, the next task of the PID Controller is to derive the pulse widths for the left and the right wheels. For this purpose, a free running counter "pwidthm" is used, whose terminal count corresponds to 100% duty cycle. For the left wheels, the counter value is compared with the "set_dir" value, which is equivalent to about 67% duty cycle pulse width and a high pulse output is issued at output pin "pwidthm_l" for the condition: (start_pwidthm = 1) & (pwidthm <= set_dir). Otherwise, Logic "0" is output. Similarly, for the right wheels, a high pulse output is issued at output pin "pwidthm_r" for the condition: (start_pwidthm = 1) & (pwidthm <= dim).
Otherwise, Logic “0” is output. The output pins “pwidthm_l” and “pwidthm_r” are connected to enable pins of DC Motor Driver IC L298, not presented here.

Reset Conditions:

\[
\begin{align*}
\text{set_dir} & = 0 \\
e(n) & = 0 \\
ierrc & = 0 \\
\text{integral} & = 0 \\
\text{unt} & = 0 \\
u(n) & = 0 \\
e(n-1) & = 0 \\
u(n-1) & = 0 \\
dirn1 & = 0 \\
dirn2 & = 0 \\
dirn(n) & = 0 \\
\text{start_pwidthm} & = 0 \\
\text{sample_cnt} & = 0
\end{align*}
\]

**Figure 4:** ASM Chart for PID Controller Module

**IV. Architecture of PID Controller**

The Architecture of PID Controller comprises the following modules: Digital Compass ASCII, Digital Compass, BCD to Binary conversion and PID controller that have been briefly explained earlier. They are presented in Fig. 5 to Fig. 8.
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Figure 5: Digital Compass ASCII RTL Module

Figure 6: BCD to Binary Converter Module

Figure 7: Digital Compass Module

Figure 8: PID Controller Module
V. Simulation Results

The PID Controller RTL Codes were designed and simulated using Modelsim and tested for several samples of direction data. A test bench was written for the purpose of playing the role of Digital Compass Sensor

![Figure 9: PID Controller Waveform showing Robot Direction Correction](image)

VI. Validation of Verilog rtl Design using Matlab

Various directions such as the set direction (set_dir), measured direction (dir), PID corrected direction (dirn) and the corresponding pulse width (pwidthm_r) that controls the right wheels of the Robot are plotted using MATLAB for 40 samples of Digital Compass and is presented in Fig. 10. The waveform reveals that the direction correction effected by the RTL code is more effective than even MATLAB in spite of using less precision in Verilog coding, thus validating the Robotic Controller Design.
VII. Conclusion

A PID Control System for Robot based Agricultural System has been designed. As an example, the set direction is taken to be 350 degrees and the Digital Compass continuously gives out the measured direction at the sample rate of 25 Hz. The number of samples taken is 40 for testing. The PID control system continuously checks and corrects the direction of travel to keep the vehicle on the desired track. PID Control equations for Discrete Time Domain have been derived and coded in Verilog RTL. Functional tests were carried out using ModelSim. The hardware results were finally validated using MATLAB. The direction accuracy achieved is better than 0.01%.

References Références Referencias

12. Xiaogang Ruan, Qiyuan Wang and Naigong, Dual-loop Adaptive Decoupling Control for Single
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